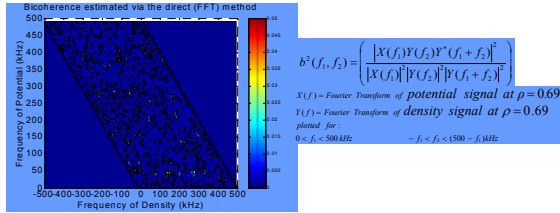
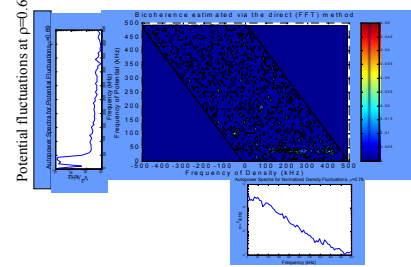


Nonlinear coupling – The zonal flow E_r is nonlinearly coupled to the driftwave density fluctuations.

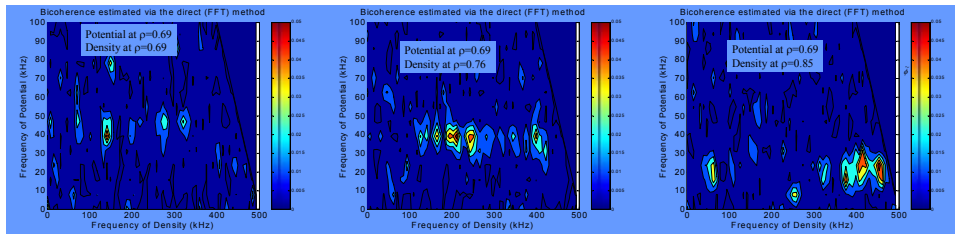


$$b^2(f_1, f_2) = \frac{|X(f_1)Y(f_2)Y^*(f_1+f_2)|^2}{|X(f_1)|^2|Y(f_2)|^2|Y^*(f_1+f_2)|^2}$$

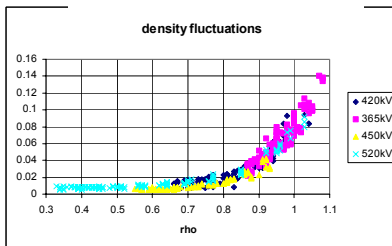
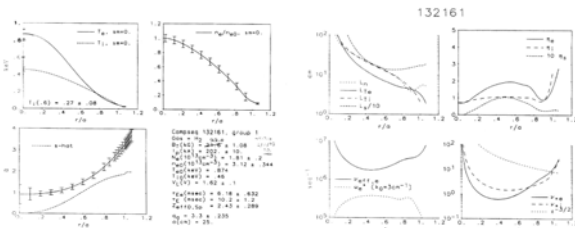
$X(f)$ – Fourier Transform of potential signal at $\rho=0.75$
 $Y(f)$ – Fourier Transform of density signal at $\rho=0.75$
 plotted for: $0 < f_1 < 500 \text{ kHz}$; $-f_1 < f_2 < 1500 - f_1 \text{ kHz}$



- Potential fluctuations are the integral of all zonal flow E_r at radii larger than the sample location.
- Density fluctuations couple with zonal flows only at the radius of the sample volume.
- Therefore: Interior potential fluctuations have nonlinear coupling with density fluctuations at larger radii.



Profiles for similar discharge ($B_T=2.2\text{T}$ vs. 2.5T)



For the discharge studied, **zonal flows are only found for $0.65 < \rho < 0.95$** This is the region with:

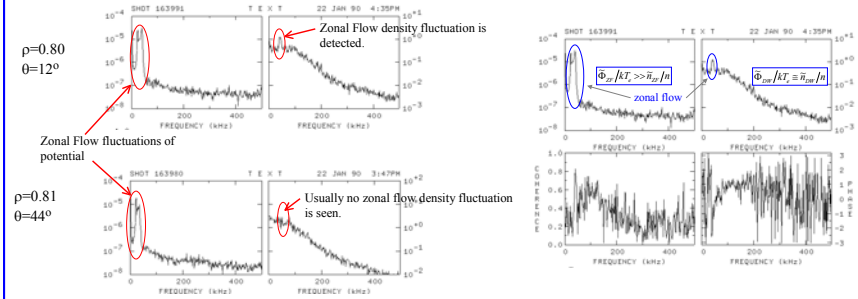
- Strongest gradients
- Strongest driftwave fluctuations

?? Conclusions ??

Linear coupling

Linear analysis shows only a weak zonal flow density fluctuations compared to the zonal flow fluctuations of potential.

- Usually no linearly correlated density fluctuation is found.
- Preliminary analysis suggests that a linearly correlated density fluctuation is detected only when the radial extent of the sample volume is small, $\sim 2\text{mm}$.
- This indicates that the density fluctuations have a short radial correlation length and/or have a radial mode structure that is anti-symmetric across the flux surface. The net density signal averages to zero for finite sample volume size.
- The relatively weak signal strength and the complicated radial mode structure of the zonal flow density fluctuation makes it unlikely that a poloidal mode structure can be determined. Initial studies don't find an $m=0$ mode as expected.
- Additional analysis of data with various sample volume alignments might allow estimates of the radial correlation length of the zonal flow.



Estimate of E_r

Assume: Interior $\tilde{\phi}$ measurements are the result of many uncorrelated zonal flow layers. The signals from each layer add in an rms sense.

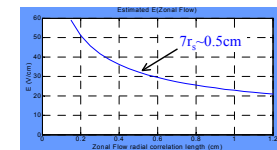
Given: $\tilde{\phi}_{\text{meas}}$ = the measured fluctuations of potential
 N = the number of uncorrelated zonal flow layers
 $\tilde{\phi}_1$ = the potential fluctuations from one ZF layer
 l_{ZF} = correlation length of zonal flow
 E_{ZF} = Zonal Flow radial electric field
 Δr = radial extent of zonal flow

Then:

$$\tilde{\phi}_{\text{total}}^2 = \sum_{k=1}^N \tilde{\phi}_k^2 = N \tilde{\phi}_1^2 \quad N = \frac{\Delta r}{l_{ZF}}$$

$$\tilde{\phi}_1 = \tilde{E}_{ZF} l_{ZF} \quad \tilde{E}_{ZF} = \frac{\tilde{\phi}_{\text{total}}}{\sqrt{N} l_{ZF}}$$

Result: $v_{ZF} \sim 1.5 \times 10^3 \text{ m/s}$
 $\sim \langle E_r \rangle / B \sim v_{de}$



Interesting observations

- Strong GAM but no evidence of a $\omega=0$ mode.
 - Reynolds stress vs. magnetic curvature
 - ??(Hallatschek refers to the Stringer-Wilson term.)
- GAM is found only over a limited radial extent, $0.65 < \rho < 0.95$ for this discharge.
 - Region with strong gradients and fluctuations??
- Density fluctuations data may provide information about the radial mode structure.

Conclusion:

Zonal Flows were Detector in TEXT

- Radial electric field fluctuations were measure with
 - $m=0$ poloidal mode structure (zonal flow).
 - Short radial correlation lengths, (poloidal correlation is long – machine size.)
 - Weak or non-existent density fluctuations at the same frequency.
 - Non-linear coupling with drift wave density fluctuations.
- Fluctuations are found at the GAM frequency, there is no experimental evidence of an $\omega=0$ signal.