Algorithms for Packet Classification

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Abstract

The process of categorizing packets into "flows" in an Internet router is called packet classification. All packets belonging to the same flow obey a pre-defined rule and are processed in a similar manner by the router. For example, all packets with the same source and destination IP addresses may be defined to form a flow. Packet classification is needed for non "best-effort" services, such as firewalls and quality of service; services that require the capability to distinguish and isolate traffic in different flows for suitable processing. In general, packet classification on multiple fields is a difficult problem. Hence, researchers have proposed a variety of algorithms which, broadly speaking, can be categorized as "basic search algorithms," geometric algorithms, heuristic algorithms, or hardware-specific search algorithms. In this tutorial we describe algorithms that are representative of each category, and discuss which type of algorithm might be suitable for different applications.

1 Introduction

Until recently, Internet routers provided only "best-effort" service, servicing packets in a first-come-first-served manner. Routers are now called upon to provide different qualities of service to different applications which means routers need new mechanisms such as admission control, resource reservation, per-flow queueing, and fair scheduling. All of these mechanisms require the router to distinguish packets belonging to different flows.

Flows are specified by *rules* applied to incoming packets. We call a collection of rules a *classifier*. Each rule specifies a flow that a packet may belong to based on some criteria

PAYLOAD	L4-SP	L4-DP	L4-PROT	L3-SA	L3-DA	L3-PROT	L2-SA	L2- DA
	16b	16b	8b	32b	32b	8b	48b	48b
Transport layer header Network layer header Link layer header				ader 🕨				
L2 = Layer 2 (e.g., Ethernet)DA =Destination AddressL3 = Layer 3(e.g., IP)SA = Source AddressDA =Destination AddressDA =Destination Address								
L4 = Layer 4(e.g., TCP) PROT = Protocol SP = Source Port DP =Destination Port								

Figure 1 This figure shows some of the header fields (and their widths) that might be used for classifying the packet. Although not shown in this figure, higher layer (e.g., application-level) headers may also be used.

applied to the packet header, as shown in Figure 1. To illustrate the variety of classifiers, consider some examples of how packet classification can be used by an ISP to provide different services. Figure 2 shows ISP_1 connected to three different sites: enterprise networks E_1 and E_2 and a Network Access Point¹ (NAP), which is in turn connected to ISP_2 and ISP_3 . ISP_1 provides a number of different services to its customers, as shown in Table 1. TABLE 1.

Service	Example	
Packet Filtering	Deny all traffic from ISP_3 (on interface <i>X</i>) destined to E_2 .	
Policy Routing	Send all voice-over-IP traffic arriving from E_1 (on interface <i>Y</i>) and destined to E_2 via a separate ATM network.	
Accounting & Billing	Treat all video traffic to E_1 (via interface <i>Y</i>) as highest priority and perform accounting for the traffic sent this way.	
Traffic Rate Limiting	Ensure that ISP_2 does not inject more than 10Mbps of email traffic and 50Mbps of total traffic on interface X.	
Traffic Shaping	Ensure that no more than 50Mbps of web traffic is injected into ISP_2 on interface <i>X</i> .	

^{1.} A network access point is a network site which acts as an exchange point for Internet traffic. ISPs connect to the NAP to exchange traffic with other ISPs.

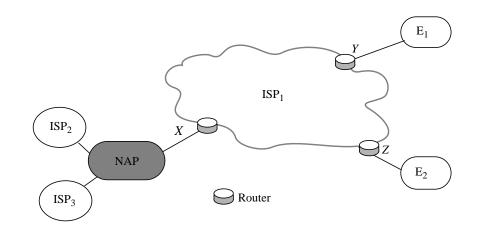


Figure 2 Example network of an ISP (ISP₁) connected to two enterprise networks (E_1 and E_2) and to two other ISP networks across a network access point (NAP).

Table 2 shows the flows that an incoming packet must be classified into by the router at interface *X*. Note that the flows specified may or may not be mutually exclusive. For TABLE 2.

Flow Relevant Packet Fields:	
Email and from ISP ₂	Source Link-layer Address, Source Transport port number
From ISP ₂ Source Link-layer Address	
From ISP_3 and going to E_2	Source Link-layer Address,
	Destination Network-Layer Address
All other packets	

example, the first and second flow in Table 2 overlap. This is common in practice, and when no explicit priorities are specified, we follow the convention that rules closer to the top of the list take priority.

1.1 Problem statement

Each rule of a classifier has *d* components. R[i] is the *i*th component of rule *R*, and is a regular expression on the *i*th field of the packet header. A packet *P* is said to *match* rule *R*, if $\forall i$, the *i*th field of the header of *P* satisfies the regular expression R[i]. In practice, a

rule component is not a general regular expression but is often limited by syntax to a simple address/mask or operator/number(s) specification. In an address/mask specification, a 0 (respectively 1) at bit position x in the mask denotes that the corresponding bit in the address is a don't care (respectively significant) bit. Examples of operator/number(s) specifications are eq 1232 and range 34-9339. Note that a prefix can be specified as an address/ mask pair where the mask is contiguous — i.e., all bits with value 1 appear to the left of bits with value 0 in the mask. It can also be specified as a range of width equal to 2^t where t = 32 - prefixlength. Most commonly occurring specifications can be represented by ranges.

An example real-life classifier in four dimensions is shown in Table 3. By convention, the first rule R1 is of highest priority and rule R7 is of lowest priority. Some example classification results are shown in Table 4.

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Rule	Network-layer Destination (address/ mask)	Network-layer Source (address/mask)	Transport- layer Destination	Transport- layer Protocol	Action
R1	152.163.190.69/ 255.255.255.255	152.163.80.11/ 255.255.255.255	*	*	Deny
R2	152.168.3.0/ 255.255.255.0	152.163.200.157/ 255.255.255.255	eq www	udp	Deny
R5	152.163.198.4/ 255.255.255.255	152.163.160.0/ 255.255.252.0	gt 1023	tcp	Permit
R6	0.0.0/0.0.0.0	0.0.0/0.0.0.0	*	*	Permit

TABLE4.

Packet Header	Network-layer Destination	Network-layer Source	Transport- layer Destination	Transport- layer Protocol	Best matching rule, Action
P1	152.163.190.69	152.163.80.11	www	tcp	R1, Deny
P2	152.168.3.21	152.163.200.157	www	udp	R2, Deny
P3	152.168.198.4	152.163.160.10	1024	tcp	R5, Permit

Longest prefix matching for routing lookups is a special-case of one-dimensional packet classification. All packets destined to the set of addresses described by a common prefix may be considered to be part of the same flow. The address of the next hop where the packet should be forwarded to is the associated action. The length of the prefix defines the priority of the rule.

2 Performance metrics for classification algorithms

- Search speed Faster links require faster classification. For example, links running at 10Gbps can bring 31.25 million packets per second (assuming minimum sized 40 byte TCP/IP packets).
- *Low storage requirements* Small storage requirements enable the use of fast memory technologies like SRAM (Static Random Access Memory). SRAM can be used as an on-chip cache by a software algorithm and as on-chip SRAM for a hardware algorithm.
- Ability to handle large real-life classifiers.
- *Fast updates* As the classifier changes, the data structure needs to be updated. We can categorize data structures into those which can add or delete entries incrementally, and those which need to be reconstructed from scratch each time the classifier changes. When the data structure is reconstructed from scratch, we call it "pre-processing". The update rate differs among different applications: a very low update rate may be sufficient in firewalls where entries are added manually or infrequently, whereas a router with per-flow queues may require very frequent updates.
- Scalability in the number of header fields used for classification.
- *Flexibility in specification* A classification algorithm should support general rules, including prefixes, operators (range, less than, greater than, equal to, etc.) and wildcards. In some applications, non-contiguous masks may be required.

3 Classification algorithms

3.1 Background

For the next few sections, we will use the example classifier in Table 5 repeatedly. The classifier has six rules in two fields labeled *F*1 and *F*2; each specification is a prefix of maximum length 3 bits. We will refer to the classifier as $C = \{R_j\}$ and each rule R_j as a 2-tuple: $\langle R_{j1}, R_{j2} \rangle$.

TABLE 5	
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Rule	F1	F2
R ₁	00*	00*
R ₂	0*	01*
R ₃	1*	0*
R ₄	00*	0*
R ₅	0*	1*
R ₆	*	1*

3.1.1 Bounds from Computational Geometry

There is a simple geometric interpretation of packet classification. While a prefix represents a contiguous interval on the number line, a two-dimensional rule represents a rectangle in two-dimensional euclidean space, and a rule in d dimensions represents a d-dimensional hyper-rectangle. A classifier is therefore a collection of prioritized hyper-rectangles, and a packet header represents a point in d dimensions. For example, Figure 3 shows the classifier in Table 5 geometrically in which high priority rules overlay lower

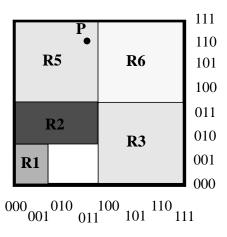


Figure 3 Geometric representation of the classifier in Table 5. A packet represents a point, for instance P(011,110), in two-dimensional space. Note that R4 is hidden by R1 and R2.

priority rules. Classifying a packet is equivalent to finding the highest priority rectangle that contains the point representing the packet. For example, point P(011,110) in Figure 3 would be classified by rule R_5 .

There are several standard geometry problems such as ray shooting, point location and rectangle enclosure that resemble packet classification. Point location involves finding the enclosing region of a point, given a set of non-overlapping regions. The best bounds for point location in *N* rectangular regions and d > 3 dimensions are $O(\log N)$ time with $O(N^d)$ space;¹ or $O((\log N)^{d-1})$ time with O(N) space [7][8]. In packet classification, hyper-rectangles can overlap making classification at least as hard as point location. Hence, a solution is either impracticably large (with 100 rules and 4 fields, N^d space is about 100MBytes) or too slow $((\log N)^{d-1})$ is about 350 memory accesses).

We can conclude that: (1) Multi-field classification is considerably more complex than one-dimensional longest prefix matching, and (2) Complexity may require that practical solutions use heuristics.

^{1.} The time bound for $d \le 3$ is $O(\log \log N)$ [7] but has large constant factors.

3.1.2 Range Lookups

Packet classification is made yet more complex by the need to match on ranges as well as prefixes. A range lookup for a dimension of width *W* bits can be defined as:

Definition 1: Given a set of N disjoint ranges $G = \{G_i = [l_i, u_i]\}$ that form a partition of the number line $[0, 2^W - 1]$, i.e., l_i and u_i are such that $l_1 = 0, l_i \le u_i, l_{i+1} = u_i + 1, u_N = 2^W - 1$; the range lookup problem is to find the range G_P (and any associated information) that contains an incoming point P.

To assess the increased complexity of ranges, we can convert each range to a set of prefixes (a prefix of length *s* corresponds to a range [l, u] where the (W-s) least significant bits of *l* are all 0 and those of *u* are all 1) and use a longest prefix matching algorithm [ref tutorial paper in same issue]. Table 6 shows some examples of range-to-prefix conversions for W = 4.

TABLE 6.

Range	Constituent Prefixes	
[4,7]	01**	
[3,8]	0011, 01**, 1000	
[1,14]	0001, 001*, 01**, 10**, 110*, 1110	

A *W*-bit range can be represented by at most 2W - 2 prefixes (see the last row of Table 6 as an example) which means a prefix matching algorithm can find ranges with 2W times as much storage. Feldman and Muthukrishnan [3] show a reduction of ranges to prefix lookup with a two-fold storage increase that can be used in some specific multi-dimensional classification schemes.

3.2 Taxonomy of classification algorithms

The classification algorithms we will describe here can be categorized into the four classes shown in Table 7.

TABLE 7.

Category	Algorithms
Basic data structures	Linear search, caching, hierarchical tries, set-pruning tries
Geometry- based	Grid-of-tries, AQT, FIS
Heuristic	RFC, hierarchical cuttings, tuple-space search
Hardware only	Ternary CAM, bitmap-intersection

We now proceed to describe representative algorithms from each class.

3.3 Basic data structures

3.3.1 Linear search

The simplest data structure is a linked-list of rules stored in order of decreasing priority. A packet is compared with each rule sequentially until a rule is found that matches all relevant fields. While simple and storage-efficient, this algorithm clearly has poor scaling properties; the time to classify a packet grows linearly with the number of rules.

3.3.2 Hierarchical tries

A *d*-dimensional hierarchical radix trie is a simple extension of the one dimensional radix trie data structure, and is constructed recursively as follows. If *d* is greater than 1, we first construct a 1-dimensional trie, called the *F*1-trie, on the set of prefixes $\{R_{j1}\}$, belonging to dimension *F*1 of all rules in the classifier, $C = \{R_j\}$. For each prefix, *p*, in the *F*1-trie, we recursively construct a (d-1)-dimensional hierarchical trie, T_p , on those rules which specify exactly *p* in dimension *F*1, i.e., on the set of rules $\{R_j:R_{j1} = p\}$. Prefix *p* is linked to the trie T_p using a *next-trie* pointer. The storage complexity of the data

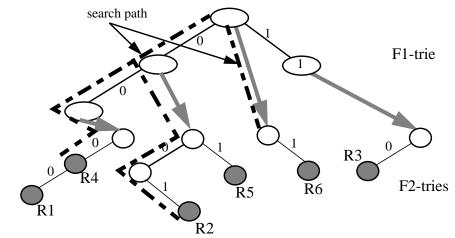


Figure 4 A hierarchical trie data structure. The gray pointers are the "next-trie" pointers. The path traversed by the query algorithm on an incoming packet (000, 010) is shown.

structure for an *N*-rule classifier is O(NdW). The data structure for the classifier in Table 5 is shown in Figure 4. Hierarchical tries are sometimes called "multi-level tries", "back-tracking-search tries", or "trie-of-tries".

Classification of an incoming packet $(v_1, v_2, ..., v_d)$ proceeds as follows. The query algorithm first traverses the F1-trie based on the bits in v_1 . At each F1-trie node encountered, the algorithm follows the next-trie pointer (if present) and traverses the (d-1)dimensional trie. The query time complexity for d-dimensions is therefore $O(W^d)$. Incremental updates can be carried out similarly in $O(d^2W)$ time since each component of the updated rule is stored in exactly one location at maximum depth O(dW).

3.3.3 Set-pruning tries

A set-pruning trie data structure [12] is similar, but with reduced query time obtained by replicating rules to eliminate recursive traversals. The data structure for the classifier in Table 5 is shown in Figure 5. The query algorithm for an incoming packet $(v_1, v_2, ..., v_d)$ need only traverse the F1-trie to find the longest matching prefix of v1, follow its nexttrie pointer (if present), traverse the F2-trie to find the longest matching prefix of v1, and

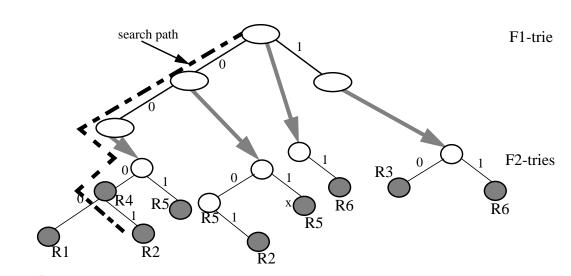


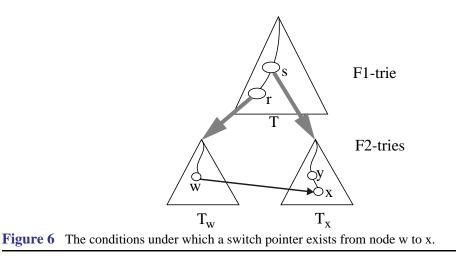
Figure 5 A set-pruning trie data structure. The gray pointers are the "next-trie" pointers. The path traversed by the query algorithm on an incoming packet (000, 010) is shown.

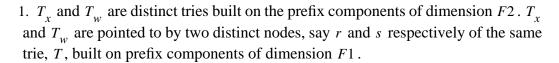
so on for all dimensions. The rules are replicated to ensure that every matching rule will be encountered in the path. The query time is reduced to O(dW) at the expense of increased storage of $O(N^d dW)$ since a rule may need to be replicated $O(N^d)$ times. Update complexity is $O(N^d)$, and hence, this data structure works only for relatively static classifiers.

3.4 Geometric algorithms

3.4.1 Grid-of-tries

The grid-of-tries data structure, proposed by Srinivasan et al [10] for 2-dimensional classification, reduces storages space by allocating a rule to only one trie node as in a hier-archical trie, and yet achieves O(W) query time by pre-computing and storing a *switch pointer* in some trie nodes. A switch pointer is labeled with '0' or '1' and guides the search process. The conditions which must be satisfied for a switch pointer labeled b (b = '0' or '1') to exist from a node w in the trie T_w to a node x of another trie T_x are (see Figure 6):





2. The bit-string that denotes the path from the root node to node w in trie T_w concatenated with the bit b is identical to the bit-string that denotes the path from the root node to node x in the trie T_x .

3. Node w does not have a child pointer labeled b, and

4. Node *s* in trie *T* is the closest ancestor of node *r* that satisfies the above conditions.

If the query algorithm traverses paths $U1(s, root(T_x), y, x)$ and $U2(r, root(T_w), w)$ in a hierarchical trie, it need only traverse the path $(s, r, root(T_w), w, x)$ on a grid-of-tries. This is because paths U1 and U2 are identical (by condition 2 above) till U1 terminates at node w because it has no child branch (by condition 3). The switch pointer eliminates the need for backtracking in a hierarchical trie without the storage of a set-pruning trie. Each bit of the packet header is examined at most once, so the time complexity reduces to O(W), while storage complexity O(NW) is the same as a 2-dimensional hierarchical trie. However, switch pointers makes incremental updates difficult, so the authors [10] recommend rebuilding the data structure (in time O(NW)) for each update. An example of the grid-of-tries data structure is shown in Figure 7.

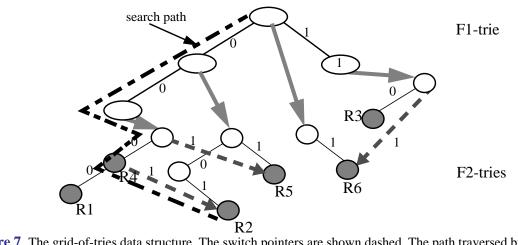


Figure 7 The grid-of-tries data structure. The switch pointers are shown dashed. The path traversed by the query algorithm on an incoming packet (000, 010) is shown.

Reference [10] reports 2MBytes of storage for a 20,000 two-dimensional classifier with destination and source IP prefixes. The stride of the destination (source) prefix trie was 8 (5) bits respectively, leading to a maximum of 9 memory accesses.

Grid-of-tries works well for two dimensional classification, and can be used for the last two dimensions of a multi-dimensional hierarchical trie, decreasing the classification time complexity by a factor of W to $O(NW^{d-1})$. As with hierarchical and set-pruning tries, grid-of-tries handles range specifications by splitting into prefixes.

3.4.2 Cross-producting

Cross-producting [10] is suitable for an arbitrary number of dimensions. Packets are classified by composing the results of separate 1-dimensional range lookups for each dimension as explained below.

Constructing the data structure involves computing a set of ranges, G_k , of size $s_k = |G_k|$, projected by rule specifications in each dimension $k, 1 \le k \le d$. Let r_k^j ,

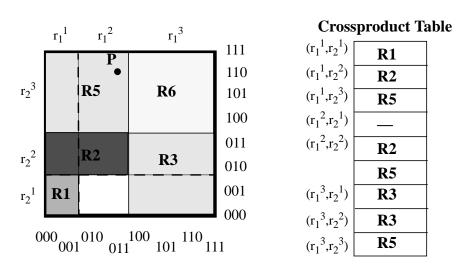


Figure 8 The table produced by the crossproducting algorithm and its geometric representation.

 $1 \le j \le s_k$, denote the j^{th} range in G_k . A cross-product table C_T of size $\prod_{k=1}^{d} s_k$ is constructed, and the best matching rule for each entry $\binom{i_1}{r_1}, \binom{i_2}{r_2}, ..., \binom{i_d}{d}, 1 \le i_k \le s_k, 1 \le k \le d$ is pre-computed and stored. Classifying a packet $(v_1, v_2, ..., v_d)$ involves a range lookup in each dimension k to identify the range $r_k^{i_k}$ containing point v_k . The tuple $\langle r_1^{i_1}, r_2^{i_2}, ..., r_d^{i_d} \rangle$ is then found in the cross-product table C_T which contains the pre-computed best matching rule. Figure 8 shows an example.

Given that N prefixes leads to at most 2N-2 ranges, $s_k \le 2N$ and C_T is of size $O(N^d)$. The lookup time is $O(dt_{RL})$ where t_{RL} is the time complexity of finding a range in one dimension. Because of its high worst case storage complexity, cross-producting is suitable for very small classifiers. Reference [10] proposes using an on-demand cross-producting scheme together with caching for classifiers bigger than 50 rules in five dimensions. Updates require reconstruction of the cross-product table, and so cross-producting is suitable for relatively static classifiers.

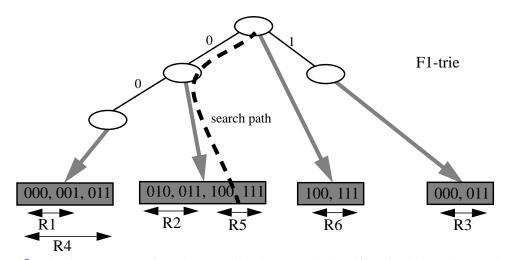


Figure 9 The data structure of Section 3.4.3 for the example classifier of Table 5. The search path for example packet P(011, 110) resulting in R5 is also shown.

3.4.3 A 2-dimensional classification scheme [6]

Lakshman and Stiliadis [6] propose a 2-dimensional classification algorithm where one dimension, say F1, is restricted to have prefix specifications while the second dimension, F2, is allowed to have arbitrary range specifications. The data structure first builds a trie on the prefixes of dimension F1, and then associates a set G_w of non-overlapping ranges to each trie node, w, that represents prefix p. These ranges are created by (possibly overlapping) projections on dimension F2 of those rules, S_w , that specify exactly p in dimension F1. A range lookup data structure (e.g., an array or a binary search tree) is then constructed on G_w and associated with trie node w. An example is shown in Figure 9.

Searching for point $P(v_1, v_2)$ involves a range lookup in data structure G_w for each trie node, w, encountered. The search in G_w returns the range containing v_2 , and hence the best matching rule. The highest priority rule is selected from the rules $\{R_w\}$ for all trie nodes encountered during the traversal.

The storage complexity is O(NW) because each rule is stored only once in the data structure. Queries take $O(W\log N)$ time because an $O(\log N)$ range lookup is performed for

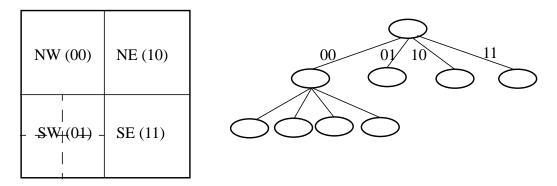


Figure 10 A quadtree constructed by decomposition of two-dimensional space. Each decomposition results in four quadrants.

every node encountered in the F1-trie. This can be reduced to $O(W + \log N)$ using *frac*tional cascading [1], but that makes incremental updates impractical.

3.4.4 Area-based quadtree

The Area-based Quadtree (AQT) was proposed by Buddhikot et al [2] for two-dimensional classification. AQT allows incremental updates whose complexity can be traded off with query time by a tunable parameter. Each node of a quadtree [1] represents a two dimensional space that is decomposed into four equal sized quadrants, each of which is represented by a child node. The initial two dimensional space is recursively decomposed into four equal-sized quadrants till each quadrant has at most one rule in it (Figure 10 shows an example of the decomposition). Rules are allocated to each node as follows. A rule is said to cross a quadrant if it completely spans at least one dimension of the quadrant. For instance, rule R6 spans the quadrant represented by the root node in Figure 10, while R5 does not. If we divide the 2-dimensional space into four quadrants, rule R5 crosses the north-west quadrant while rule R3 crosses the south-west quadrant. We call the set of rules crossing the quadrant represented by a node in dimension k, the k-crossing filter set (k-CFS) of that node.

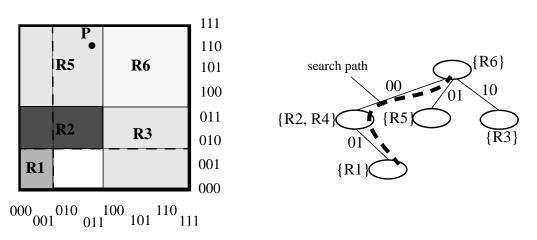


Figure 11 An AQT data structure. The path traversed by the query algorithm for an incoming packet P(001, 010), yields R1 as the best matching rule.

Two instances of the same data structure are associated with each quadtree node — each stores the rules in k-CFS (k = 1, 2). Since rules in crossing filter sets span at least one dimension, only the range specified in the other dimension need be stored. Queries proceed two bits at a time by transposing one bit from each dimension, with two 1-dimensional lookups being performed (one for each dimension on k-CFS) at each node. Figure 11 shows an example.

Reference [2] proposes an efficient update algorithm that, for *N* two-dimensional rules, has O(NW) space complexity, $O(\alpha W)$ search time and $O(\alpha \sqrt[\alpha]{N})$ update time, where α is a tunable integer parameter.

3.4.5 Fat Inverted Segment tree (FIS-tree)

Feldman and Muthukrishnan [3] propose the Fat Inverted Segment tree (FIS-tree) for two dimensional classification as a modification of a segment tree. A segment tree [1] stores a set S of possibly overlapping line segments to answer queries such as finding the highest priority line segment containing a given point. A segment tree is a balanced binary search tree containing the end points of the line segments in S. Each node, w, represents a range G_w , leaves represent the original line segments in S, and parent nodes represent the

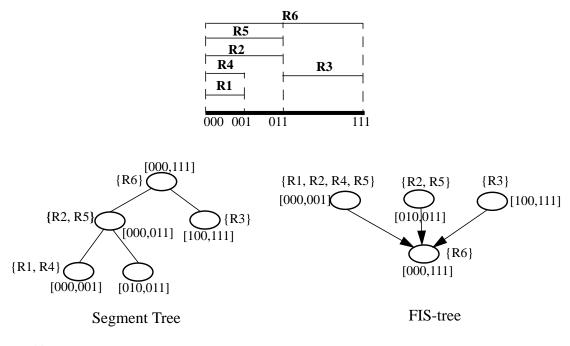


Figure 12 The segment tree and the 2-level FIS-tree for the classifier of Table 5.

union of the ranges represented by their children. A line segment is allocated to a node w if it contains G_w but not $G_{parent(w)}$. The highest priority line segment allocated to a node is pre-computed and stored at the node. A query traverses the segment tree from the root, calculating the highest priority of all the pre-computed segments encountered. Figure 12 shows an example segment tree.

An FIS-tree is a segment tree with two modifications: (1) The segment tree is compressed (made "fat" by increasing the degree to more than two) in order to decrease its depth and occupies a given number of levels l, and (2) Up-pointers from child to parent nodes are used. The data structure for 2-dimensions consists of an FIS-tree on dimension F1 and a range lookup data associated with each node. An instance of the range lookup data structure associated with node w of the FIS-tree stores the ranges formed by the F2projections of those classifier rules whose F1-projections were allocated to w. A query for point $P(v_1,v_2)$ first solves the range lookup problem on dimension F1. This returns a leaf node of the FIS-tree representing the range containing the point v_1 . The query algorithm then follows the up-pointers from this leaf node towards the root node, carrying out 1-dimensional range lookups at each node. The highest priority rule containing the given point is calculated at the end of the traversal.

Queries on an *l*-level FIS-tree have complexity $O((l+1) t_{RL})$ with storage complexity $O(ln^{1+1/l})$, where t_{RL} is the time for a 1-dimensional range lookup. Storage space can be traded off with search time by varying *l*. Modifications to the FIS-tree are necessary to support incremental updates — even then, it is easier to support inserts than deletes [3]. The static FIS-tree can be extended to multiple dimensions by building hierarchical FIS-trees, but the bounds are similar to other methods studied earlier [3].

Measurements on real-life 2-dimensional classifiers are reported in [3] using the static FIS-tree data structure. Queries took 15 or less memory operations with a two level tree, 4-60K rules and 5MBytes of storage. Large classifiers with one million 2-dimensional rules required 3 levels, 18 memory accesses per query and 100MBytes of storage.

3.5 Heuristics

As we saw in Section 3.1.1, the packet classification problem is expensive to solve in the worst-case — theoretical bounds state that solutions to multi-field classification either require storage that is geometric, or a number of memory accesses that is polylogarithmic, in the number of classification rules. We can expect that classifiers in real networks have considerable structure and redundancy that might be exploited by a heuristic. That is the motivation behind the algorithms described in this section.

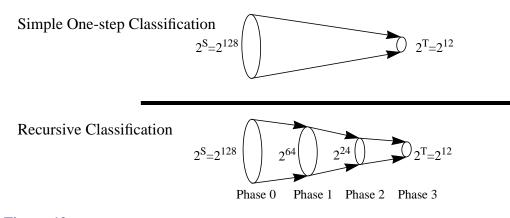


Figure 13 Showing the basic idea of Recursive Flow Classification. The reduction is carried out in multiple phases, with a reduction in phase *I* being carried out recursively on the image of the phase *I*-1. The example shows the mapping of 2^{S} bits to 2^{T} bits in 3 phases.

3.5.1 Recursive Flow Classification (RFC)

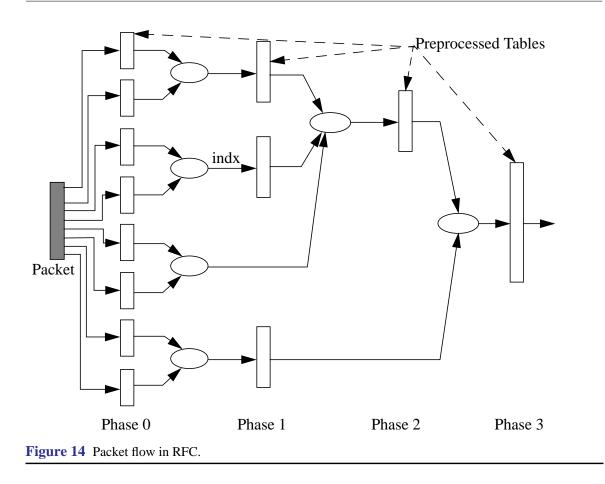
RFC [4] is a heuristic for packet classification on multiple fields. Classifying a packet involves mapping *S* bits in the packet header to a *T* bit action identifier, where $T = \log N$, $T \ll S$. A simple, but impractical method could pre-compute the action for each of the 2^{*S*} different packet headers, yielding the action in one step. RFC attempts to perform the same mapping over several phases, as shown in Figure 13; at each stage the algorithm maps one set of values to a smaller set. In each phase a set of memories return a value shorter (i.e., expressed in fewer bits) than the index of the memory access. The algorithm, illustrated in Figure 14, operates as follows:

1. In the first phase, *d* fields of the packet header are split up into multiple chunks that are used to index into multiple memories in parallel. The contents of each memory are chosen so that the result of the lookup is narrower than the index.

2. In subsequent phases, memories are indexed using the results from earlier phases.

3. In the final phase, the memory yields the action.

The algorithm requires construction of the contents of each memory, detailed in [4].



Reference [4] reports that with real-life four-dimensional classifiers of up to 1700 rules, RFC appears practical for 10Gbps line rates in hardware and 2.5Gbps rates in software. However, the storage space and pre-processing time grow rapidly for classifiers larger than about 6000 rules. An optimization described in [4] reduces the storage requirement of a 15,000 four-field classifier to below 4MBytes.

3.5.2 Hierarchical Intelligent Cuttings (HiCuts)

HiCuts [5] partitions the multi-dimensional search space guided by heuristics that exploit the structure of the classifier. Each query leads to a leaf node in the HiCuts tree, which stores a small number of rules that can be searched sequentially to find the best match. The characteristics of the decision tree (its depth, degree of each node, and the

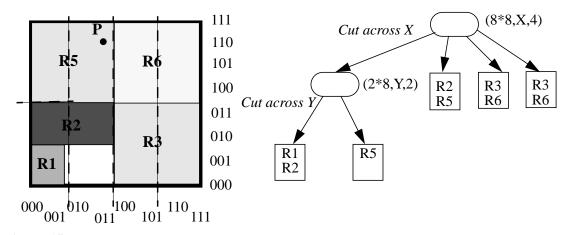


Figure 15 A possible HiCuts tree for the example classifier in Table 5. Each ellipse in the tree denotes an internal node v with a tuple (size of 2-dimensional space represented, dimension to cut across, number of children). Each square is a leaf node which contains the actual classifier rules.

local search decision to be made at each node) are chosen while preprocessing the classifier based on its characteristics (see [5] for the heuristics used).

Each node, v, of the tree represents a portion of the geometric search space. The root node represents the complete *d*-dimensional space, which is partitioned into smaller geometric sub-spaces, represented by its child nodes, by cutting across one of the *d* dimensions. Each sub-space is recursively partitioned until no sub-space has more than *B* rules, where *B* is a tunable parameter of the pre-processing algorithm. An example is shown in Figure 15 for two dimensions with B = 2.

Parameters of the HiCuts algorithm can be tuned to trade-off query time against storage requirements. On 40 real-life four-dimensional classifiers with up to 1700 rules, HiCuts requires less than 1 MByte of storage with a worst case query time of 20 memory accesses, and supports fast updates.

Rule	Specification	Tuple
R1	(00*,00*)	(2,2)
R2	(0**,01*)	(1,2)
R3	(1**,0**)	(1,1)
R4	(00*,0**)	(2,1)
R5	(0**,1**)	(1,1)
R6	(***,1**)	(0,1)

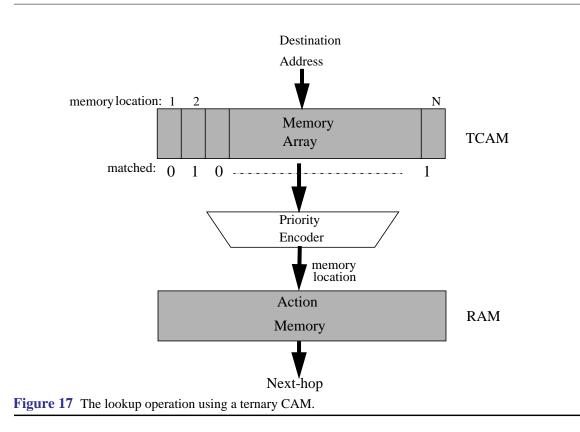
Tuple	Hash Table Entries
(0,1)	{R6}
(1,1)	{R3,R5}
(1,2)	{R2}
(2,1)	{R4}
(2,2)	{R1}

Figure 16 The tuples and associated hash tables in the tuple space search scheme for the example classifier of Table 5.

3.5.3 Tuple Space Search

The basic tuple space search algorithm (Suri et al [11]) decomposes a classification query into a number of exact match queries. The algorithm first maps each d-dimensional rule into a d-tuple whose i^{th} component stores the length of the prefix specified in the i^{th} dimension of the rule (the scheme supports only prefix specifications). Hence, the set of rules mapped to the same tuple are of a fixed and known length, and can be stored in a hash table. Queries perform exact match operations on each of the hash tables corresponding to all possible tuples in the classifier. An example is shown in Figure 16.

Query time is *M* hashed memory accesses, where *M* is the number of tuples in the classifier. Storage complexity is O(N) since each rule is stored in exactly one hash table. Incremental updates are supported and require just one hashed memory access to the hashed table associated with the tuple of the modified rule. In summary, the tuple space search algorithm performs well for multiple dimensions in the average case if the number of tuples is small. However, the use of hashing makes the time complexity of searches and updates non-deterministic. The number of tuples could be very large, up to $O(W^d)$, in the worst case. Furthermore, since the scheme supports only prefixes, the storage complexity increases by a factor of $O(W^d)$ for generic rules as each range could be split into O(W) prefixes in the manner explained in Section 3.1.2.



3.6 Hardware-based algorithms

3.6.1 Ternary CAMs

A TCAM stores each *W*-bit field as a (*val*, *mask*) pair; where *val* and *mask* are each *W*-bit numbers. For example, if W = 5, a prefix 10* will be stored as the pair (10000, 11000). An element matches a given input key by checking if those bits of *val* for which the *mask* bit is '1', match those in the key.

A TCAM is used as shown in Figure 17. The TCAM memory array stores rules in decreasing order of priorities, and compares an input key against every element in the array in parallel. The *N*-bit bit-vector, *matched*, indicates which rules match and so the *N*-bit priority encoder indicates the address of the highest priority match. The address is used to index into a RAM to find the action associated with this prefix.

TCAMs are being increasingly deployed because of their simplicity and speed (the promise of single clock-cycle classification). Several companies produce 2Mb TCAMs capable of single and multi-field classification in as little as 10ns. Both faster and denser TCAMs can be expected in the near future. There are, however, some disadvantages to TCAMs:

1. A TCAM is less dense than a RAM, storing fewer bits in the same chip area. One bit in an SRAM typically requires 4-6 transistors, while one bit in a TCAM requires 11-15 transistors [9]. A 2Mb TCAM running at 100 MHz costs about \$70 today, while 8 Mb of SRAM running at 200 MHz costs about \$30. Furthermore, range specifications need to be split into multiple masks, reducing the number of entries by up to $(2W-2)^d$ in the worst case. If only two 16-bit dimensions specify ranges, this is a multiplicative factor of 900. Newer TCAMs, based on DRAM technology, have been proposed and promise higher densities. One unresolved issue with DRAM-based CAMs is the detection of soft errors caused by alpha particles.

2. TCAMs dissipate more power than RAM solutions because an address is compared against every TCAM element in parallel. At the time of writing, a 2 Mb TCAM chip running at 50 MHz dissipates about 7 watts [13][14]. In comparison, an 8Mb SRAM running at 200 MHz dissipates approximately 2 watts [15].

TCAMs are appealing for relatively small classifiers, but will probably remain unsuitable in the near future for: (1) Large classifiers (256K-1M rules) used for microflow recognition at the edge of the network, (2) Large classifiers (128-256K rules) used at edge routers that manage thousands of subscribers (with a few rules per subscriber), (3) Extremely high speed (greater than 200Mpps) classification, and (4) Price-sensitive applications.

3.6.2 Bitmap-intersection

The bitmap-intersection classification scheme, proposed in [6], is based on the observation that the set of rules, S, that match a packet is the intersection of d sets, S_i , where S_i is the set of rules that match the packet in the i^{th} dimension alone. While cross-pro-

Dimension 1

r_1^1	{R1,R2,R4,R5,R6}	110111
r_1^2	${R2,R5,R6}$	010011
r_1^3	{R3,R6}	001001

Dimension 2

r_2^1	{R1,R3,R4}	101100
r_2^2	{R2,R3}	011000
r_2^3	$\{R5, R6\}$	000111

010011 Dimension 1 bitmap 000111 Dimension 2 bitmap
000011
R5 Best matching rule

Figure 18 Bitmap tables used in the "bitmap-intersection" classification scheme. See Figure 8 for a description of the ranges. Also shown is classification query on an example packet P(011, 110).

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ducting pre-computes *S* and stores the best matching rule in *S*, this scheme computes *S* and the best matching rule during each classification operation.

In order to compute intersection of sets in hardware, each set is encoded as an N-bit bitmap with each bit corresponds to a rule. The set of matching rules is the set of rules whose corresponding bits are '1' in the bitmap. A query is similar to cross-producting: First, a range lookup is performed in each of the d dimensions. Each lookup returns a bitmap representing the matching rules (pre-computed for each range) in that dimension. The d sets are intersected (a simple bit-wise AND operation) to give the set of matching rules, from which the best matching rule is found. See Figure 18 for an example.

Since each bitmap is N bits wide, and there are O(N) ranges in each of d dimensions, the storage space consumed is $O(dN^2)$. Query time is $O(dt_{RL} + dN/w)$ where t_{RL} is the time to do one range lookup and w is the memory width. Time complexity can be reduced by a factor of d by looking up each dimension independently in parallel. Incremental updates are not supported.

Reference [6] reports that the scheme can support up to 512 rules with a 33 MHz fieldprogrammable gate array and five 1Mbit SRAMs, classifying 1Mpps. The scheme works well for a small number of rules in multiple dimensions, but suffers from a quadratic increase in storage space and linear increase in classification time with the size of the classifier. A variation is described in [6] that decreases storage at the expense of increased query time.

3.7 Summary of classification schemes

TABLE 8.

Algorithm	Worst-case time complexity	Worst-case storage complexity
Linear Search	N	N
Ternary CAM	1	Ν
Hierarchical Tries	W ^d	NdW
Set-pruning Tries	dW	N ^d
Grid-of-Tries	<i>W</i> ^{<i>d</i>-1}	NdW
Cross-producting	dW	N ^d
FIS-tree	(l+1)W	$l \times N^{1 + 1/l}$
RFC	d	N ^d
Bitmap-intersection	dW + N/memwidth	dN^2
HiCuts	d	N ^d
Tuple Space Search	N	Ν

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